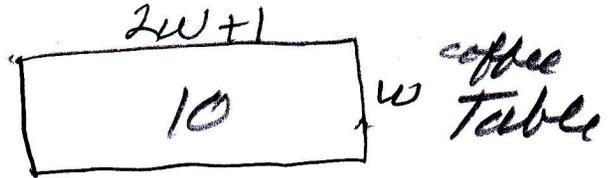


(5.8)

Problems Odd Numbered Problem (P)

(87) Let  $w = \text{width}$   
then  $2w + 1 = \text{length}$



Area =  $10 \text{ ft}^2$

Find the coffee table's length and width.

$$w(2w+1) = 10$$

$$2w^2 + w = 10$$

$$2w^2 + w - 10 = 0$$

$$2w^2 - 4w + 5w - 10 = 0$$

$$(2w^2 - 4w) + (5w - 10) = 0$$

$$2w(w - 2) + 5(w - 2) = 0$$

$$(w - 2)(2w + 5) = 0$$

$$w - 2 = 0 \text{ or } 2w + 5 = 0$$

$$w = 2$$

$$2w = -5$$

$$w = -\frac{5}{2} = -2\frac{1}{2}$$

can't be negative.

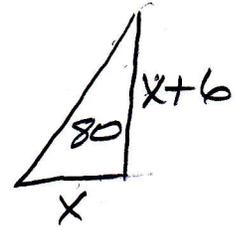
$$w = 2 \text{ ft}$$

$$2w + 1 = 2(2) + 1 = 4 + 1 = 5 \text{ ft}$$

The width is 2 ft. The length is 5 ft ✓

$$2(-10) = -20$$

$$-4(5) = 20 \quad -4 + 5 = 1$$



89  $A = \frac{1}{2}(\text{base})(\text{height})$

$80 = \frac{1}{2}x(x+6)$

$80 = \frac{1}{2}x^2 + \frac{1}{2}x \cdot 6$

$80 = \frac{1}{2}x^2 + 3x$

$0 = \frac{1}{2}x^2 + 3x - 80$

$2(0) = 2(\frac{1}{2}x^2) + 2(3x) + 2(-80)$

$0 = x^2 + 6x - 160$

$x^2 + 6x - 160 = 0$

$(x-10)(x+16) = 0$

$x-10=0$  or  $x+16=0$

$x=10$  or  $x=-16$

The base is 10ft.

The height is  $x+6 = 10+6 = 16\text{ft}$

-160

$\sqrt{160}$  is between 12 and 13

13	12
13	12
39	24
13	12
169	144

try ↑

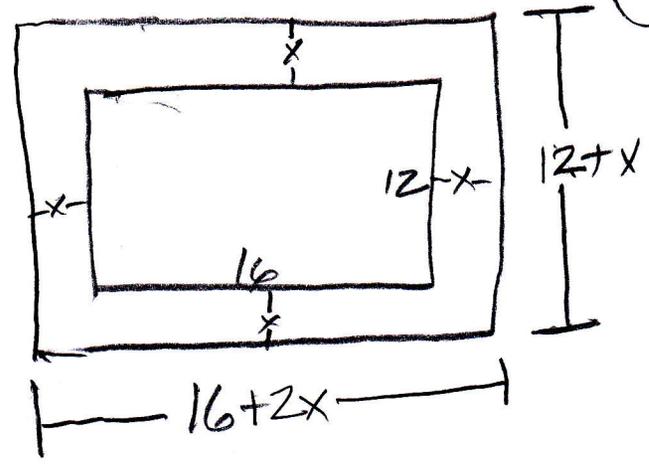
we need a difference of 6

so try  $13+3=16$   
 $13-3=10$   
 $10(16) = 160$

So  $-160$   
 $-10(16) = -160$   
 $-10+16 = 6$

91

$$\begin{aligned}
 (12+2x)(16+2x) &= 320 \\
 2(6+x) \cdot 2(8+x) &= 320 \\
 4(x+6)(x+8) &= 320 \\
 (x+6)(x+8) &= \frac{320}{4} \\
 (x+6)(x+8) &= 80 \\
 x^2 + 8x + 6x + 48 &= 80 \\
 x^2 + 14x + 48 &= 80 \\
 \quad \quad \quad -80 \quad -80 \\
 \hline
 x^2 + 14x - 32 &= 0
 \end{aligned}$$



factors of -32  
 $-2(16) = -32$   
 $-2+16 = 14$

$$\begin{aligned}
 x^2 + 14x - 32 &= 0 \\
 (x-2)(x+16) &= 0 \\
 x-2=0 \quad \text{or} \quad x+16=0 \\
 \boxed{x=2} \quad \quad \quad \boxed{x=-16} \\
 \text{can't be negative}
 \end{aligned}$$

→ You can use the bigger numbers and get the correct answer, but if you factor out the GCF of each binomial, it make the problem a little easier.

(95) Spurts of water  
 $h$  = height of water above the jet.



(95)

The height of a spurt of water, above the jet,  $t$  seconds after "start" is  $h(t) = -16t^2 + 32t$   
Find the time it takes the spurt to return to the jet's height.

$$h(t) = -16t^2 + 32t$$

$$\text{Let } h(t) = 0$$

$$-16t^2 + 32t = 0$$

$$\frac{-16t^2}{-16} + \frac{32t}{-16} = \frac{0}{-16}$$

$$t^2 + 2t = 0$$

$$t(t+2) = 0$$

$$t = 0 \quad \text{or} \quad t + 2 = 0$$

$$t = -2 \text{ sec.}$$

The spurt returns to the jet's height at  $t = 2$  seconds

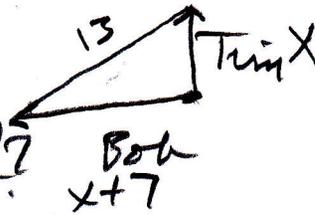
97

W N E  
S

Let  $x = \text{Tim's Distance}$

then  $x+7 = \text{Bob's Distance}$

How far did each person travel?



$$x^2 + (x+7)^2 = 13^2$$

$$x^2 + x^2 + 14x + 49 = 169$$

$$2x^2 + 14x + 49 = 169$$

$$\begin{array}{r} -169 \quad -169 \\ \hline \end{array}$$

$$\begin{array}{r} -169 \\ + 49 \\ \hline -120 \end{array}$$

$$2x^2 + 14x - 120 = 0$$

$$2(x^2 + 7x - 60) = 0$$

$$x^2 + 7x - 60 = 0$$

$$(x-5)(x+12) = 0$$

$$x-5=0 \text{ or } x+12=0$$

$$x=5$$

$x=-12$   
can't be neg.

$$\begin{array}{r} -60 \\ -1(60) \\ -2(30) \\ -3(20) \\ -4(15) \\ -5(12) \end{array}$$

$$-5+12 = 7$$

Tim traveled 5 miles

Bob traveled  $x+7 = 5+7 = 12$  miles

99 Let  $x$  be height of wire above ground of attachment point to tent. How long is wire?



$$x^2 + 12^2 = (x + 8)^2$$

$$x^2 + 144 = x^2 + 16x + 64$$

$$\begin{array}{r}
 x^2 + 144 = x^2 + 16x + 64 \\
 -x^2 \qquad -x^2 \\
 \hline
 144 = 16x + 64 \\
 -144 \qquad -144 \\
 \hline
 0 = 16x - 80
 \end{array}$$

$$\begin{array}{r}
 -144 \\
 +64 \\
 \hline
 -80
 \end{array}$$

$$0 = 16x - 80$$

$$16x - 80 = 0$$

$$16(x - 5) = 0$$

$$\frac{16(x - 5)}{16} = \frac{0}{16}$$

$$x - 5 = 0$$

$$x = 5 \text{ ft}$$

height of Point where wire is attached

Length of wire is  $x + 8 = 5 + 8 = \underline{\underline{13 \text{ feet}}}$

#101 Break even point is where

$$R(x) = C(x)$$

$$70x - x^2 = 17x + 150$$

add  $x^2$  to each side

$$70x = x^2 + 17x + 150$$

$$\begin{array}{r} -70x \quad -70x \\ \hline \end{array}$$

$$\begin{array}{r} -70 \\ +17 \\ \hline -53 \end{array}$$

$$0 = x^2 - 53x$$

$$x^2 - 53x = 0$$

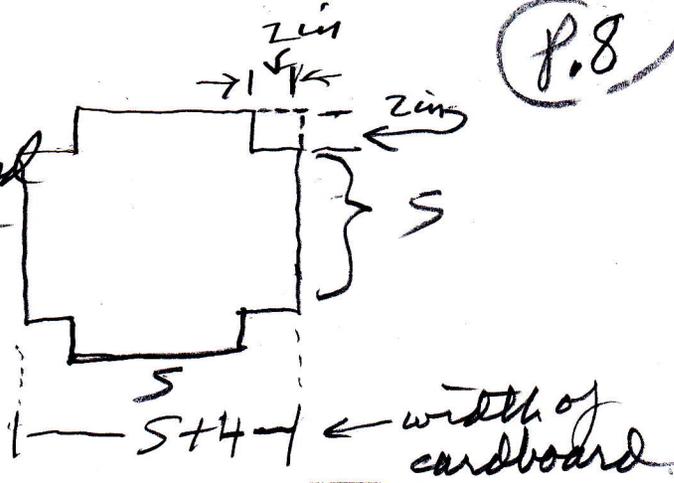
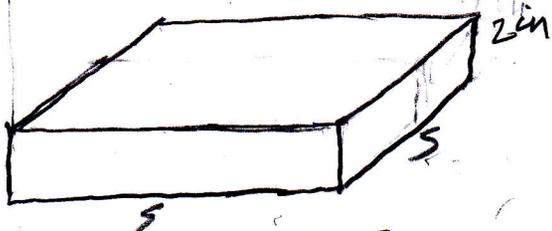
$$x(x - 53) = 0$$

$$x = 0 \text{ or } x - 53 = 0$$

Given in problem  
 $x \geq 10$  in order to  
break even

$x = 53$  bicycles must be sold to  
break even

103 Volume = lwh  
Square piece of cardboard  
So  $l = w$  Let  $s = l = w$



$$162 = 2 \cdot s \cdot s$$

$$162 = 2s^2$$

$$\frac{2s^2}{2} = \frac{162}{2}$$

$$s^2 = 81$$

$$s^2 - 81 = 0$$

$$s^2 - 9^2 = 0$$

$$(s+9)(s-9) = 0$$

$$s+9=0 \text{ or } s-9=0$$

$s = -9$   
can't be neg  $s = 9$

Monique needs a piece of cardboard that is  $s+4 = 9+4 = 13$  inches on each side.

or a 13 in. by 13 in piece of cardboard

The Box has a width and length of 9 inches.

So

105

a)  $V = a^3 - ab^2$

b)  $V = a(a^2 - b^2) = a(a+b)(a-b)$

c)  $V = a(a+b)(a-b)$

$1620 = 12(12+b)(12-b)$

$\frac{1620}{12} = \frac{12(12+b)(12-b)}{12}$

$135 = (12+b)(12-b)$

$135 = 144 - b^2$

$+b^2$

$b^2 + 135 = 144$

$-144 = -144$

$b^2 - 9 = 0$

$b^2 - 3^2 = 0$

$(b+3)(b-3) = 0$

$b+3=0$  or  $b-3=0$

$b = -3$  or  $b = 3$  inches

can't be negative

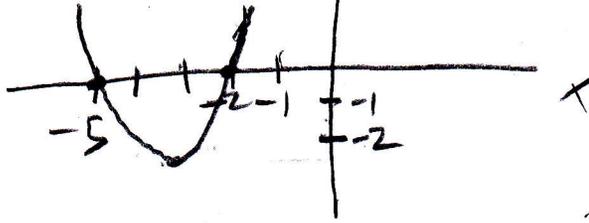
135  
12 | 1620  
-12  
42  
-36  
60

-144  
+135  
9

T07

P.10

(a)  $x = -5$  or  $x = -2$



$\Rightarrow$  factors are  $(x+5)$  and  $(x+2)$

so we have

$$f(x) = (x+5)(x+2)$$

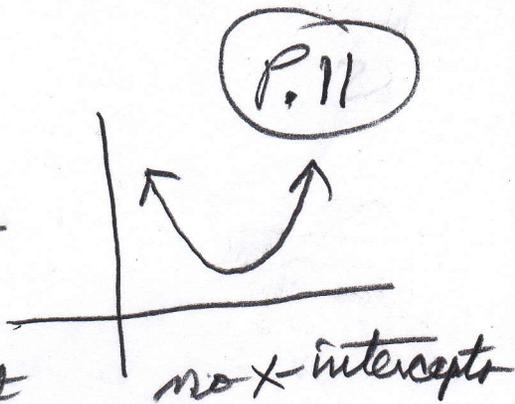
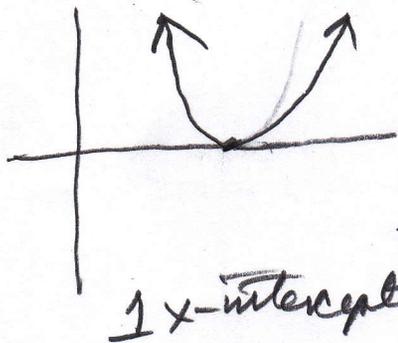
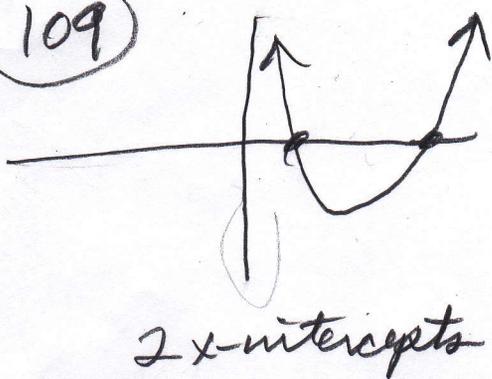
$$\Rightarrow f(x) = x^2 + 7x + 10$$

(b)  $x^2 + 7x + 10 = 0$

(c) Infinite number. Any function of form  $f(x) = a(x^2 + 7x + 10)$  has  $x$ -intercepts of  $-2$  and  $-5$ , where  $a$  is a real number not equal to  $0$ .

(d) Infinite no. Same reason as part c,

109



P. 11

111  
 CANCEL  
 PROBLEM  
 FOR NOW

$$Q(S) = -0.31S^2 + 59.82S - 2180.22$$

Q = distance to stop

$$545 = -0.31S^2 + 59.82S - 2180.22$$

$$-545 \qquad \qquad \qquad -545$$

$$0 = -0.31S^2 + 59.82S - 2725.22$$

$$0 = -31S^2 + 5982S - 272522$$

Multiply  
 equation  
 by 100

a = -31, b = 5982, c = -272522

$$S = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a} = \frac{-5982 \pm \sqrt{(5982)^2 - 4(-31)(-272522)}}{2(-31)}$$

S = 73.72194884

S ≈ 74 miles/hour

Cancel Problem  
 For Now